

## Warp-in Points

A warp-in point is where your ship will land in space when warping to an object.

Many external factors may disrupt a warp, e.g. warp disruption fields, insufficient electrical capacity, warp jitter, etc.; these formulas do not account for these phenomena, they assume perfect conditions.

## Ordinary Objects

An ordinary object is any object that does not fall within any of the other categories described below.

Let the 3D vectors  $p_d$  and  $p_s$  represent the object's position and the warp's origin, respectively; and  $\vec{v}$  the directional vector from  $p_s$  to  $p_d$ . Let  $r$  be the object's radius.

The object's warp-in point is the vector  $p_s + \vec{v} - r\hat{v}$ .

## Large Objects

A large object is any celestial body whose radius exceeds 90 kilometres (180 kilometres in diameter), except planets.

Let  $x$ ,  $y$ , and  $z$  represent the object's coordinates. Let  $r$  be the object's radius.

The object's warp-in point is the vector  $(x + (r + 5000000) \cos r, y + 1.3r - 7500, z - (r + 5000000) \sin r)$ .

## Planets

The warp-in point of a planet is determined by the planet's ID, its location, and radius.

Let  $x$ ,  $y$ , and  $z$  represent the planet's coordinates. Let  $r$  be the planet's radius.

The planet's warp-in point is the vector  $(x + d \sin \theta, y + \frac{1}{2}r \sin j, z - d \cos \theta)$  where:

$$d = r(s + 1) + 1000000$$

$$\theta = \sin^{-1} \left( \frac{x}{|x|} \cdot \frac{z}{\sqrt{x^2 + z^2}} \right) + j$$

$$s|_{0.5 \leq s \leq 10.5} = 20 \left( \frac{1}{40} \left( 10 \log_{10} \left( \frac{r}{10^6} \right) - 39 \right) \right)^{20} + \frac{1}{2}$$

Now,  $j$  is a special snowflake. Its value is the Python equivalent of

```
(random.Random(planetID).random() - 1.0) / 3.0 .
```

## Example Implementation

```
import math
import random

def warpin(id, x, y, z, r):
    j = (random.Random(id).random() - 1.0) / 3.0
    t = math.asin(x/abs(x) * (z/math.sqrt(x**2 + z**2))) + j
    s = 20.0 * (1.0/40.0 * (10 * math.log10(r/10**6) - 39))**20.0 + 1.0/2.0
    s = max(0.5, min(s, 10.5))
    d = r*(s + 1) + 10000000

    return (x + d * math.sin(t), y + 1.0/2.0 * r * math.sin(j), z - d * math.cos(t))
```